



# Sanctions and the Exchange Rate

**Oleg Itkhoki**  
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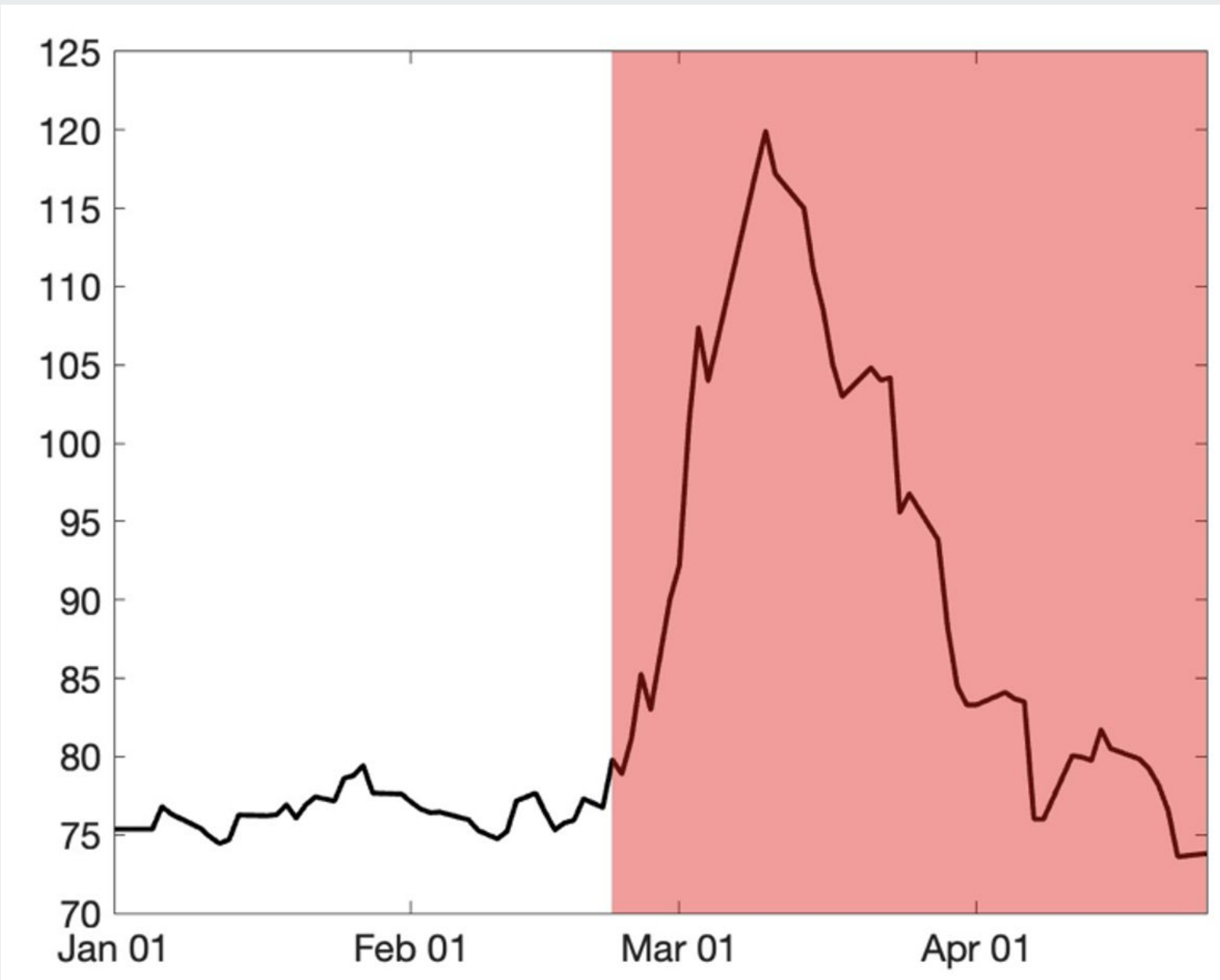
23. June 2022

Markus Brunnermeier

# Webinars on Sanctions

- Sergei Guriev *Russian Economy*
- Jim Hamilton *Oil*
- David Bacaas *German Economy*  
/Ben Moll
- Elina Ribakova *Details*
- Oleg Itskhoki *Exchange Rate*

# Ruble-US\$ exchange rate



# Trade Sanctions vs. Financial Sanctions



# Poll

1. End of the year **ruble per US\$ exchange rate** (was initially 75, depreciating to 125 and then to 55)
  - a. Stronger: < 65: stronger rubles per USD;
  - b. Similar: 65-80;
  - c. Weaker; > 80.
2. The West concentrated **sanctions on Russian imports** rather than exports. This made it \_\_\_\_ for Russia to fund the war
  - a. easier;
  - b. equally effective;
  - c. Didn't matter as it is independent of short-run fiscal deficit.
3. Three statements: The West does
  - a. **not** have sufficient economic **leverage** against Russia, and should **not** use **sanctions**.
  - b. **not** have sufficient economic **leverage** against Russia, and nonetheless should **use sanctions**.
  - c. have sufficient economic **leverage** against Russia, but should **not use** it

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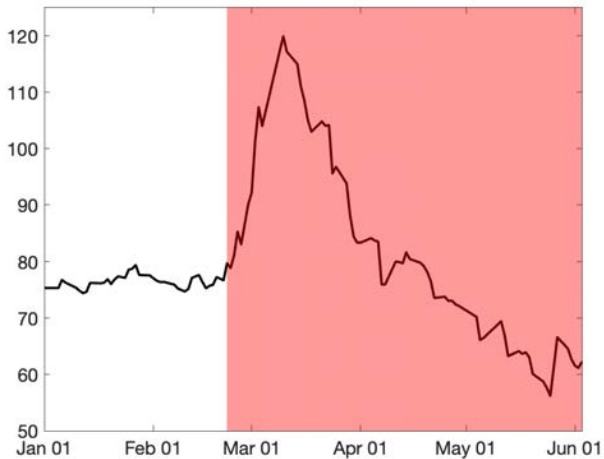
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Princeton, June 2022

## Ruble-USD Exchange Rate





## This Paper

- Positive and normative questions:
  - ① why did Ruble depreciate initially and appreciate thereafter?
  - ② are sanctions “not working”?
  - ③ is the exchange rate irrelevant under financial constraints?
  - ④ what implications for government revenues?

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  - small open economy version streamlined to focus on exchange rate, real cost of living, government revenues
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- Build on our earlier equilibrium exchange rate model
  - small open economy version streamlined to focus on exchange rate, real cost of living, government revenues
  - augmented with a rich set of sanctions and policy instruments
- Dual role of foreign currency:
  - ① goods market (exports and imports)
  - ② asset market (official reserves and private savings)

# MODEL

## Model

- Endowment Small Open Economy with tradables and non-tradables and demand for foreign currency savings
- **Households:**

$$\max \mathbb{E}_0 \sum_{t=0}^{\infty} \beta^t \left[ u(C_{Ht}, C_{Ft}) + v\left(\frac{B_{t+1}^*}{P_{t+1}^*}; \psi_t\right) \right]$$

$$\text{s.t. } P_t C_{Ht} + \varepsilon_t P_t^* C_{Ft} + \frac{B_{t+1}}{R_t} + \frac{\varepsilon_t B_{t+1}^*}{R_{Ht}^*} \leq B_t + \varepsilon_t B_t^* + W_t,$$

$$u(C_H, C_F) = (1 - \gamma)^{1/\theta} C_H^{\frac{\theta-1}{\theta}} + \gamma^{1/\theta} C_F^{\frac{\theta-1}{\theta}}, \quad v(b; \psi) = -\frac{\kappa}{2} \cdot (b - \psi)^2$$

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- **Government, Firms & Financial sector**

$$\mathcal{E}_t \left( \frac{F_{t+1}^*}{R_t^*} - F_t^* \right) - \mathcal{E}_t \left( \frac{B_{t+1}^*}{R_{Ht}^*} - B_t^* \right) = \overbrace{\mathcal{E}_t Y_t^* + P_t Y_t}^{\equiv TR_t} - W_t,$$

— NFA  $F_t^*$ ; FX deposits  $B_t^*$ ; official FX reserves  $F_t^* - B_t^*$

## Equilibrium

- Market clearing:  $C_{Ht} = Y_t$  and  $B_{t+1} = 0$
- ① Import demand (expenditure switching):

$$\frac{C_{Ft}}{C_{Ht}} = \frac{\gamma}{1 - \gamma} \left( \frac{\mathcal{E}_t P_t^*}{P_t} \right)^{-\theta}$$

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$$\beta R_{Ht}^* \mathbb{E}_t \left\{ \frac{P_t^*}{P_{t+1}^*} \left[ \left( \frac{C_{Ft}}{C_{Ft+1}} \right)^{1/\theta} + \tilde{\kappa} C_{Ft}^{1/\theta} \left( \psi_t - \frac{B_{t+1}^*}{P_{t+1}^*} \right) \right] \right\} = 1$$

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— Equil. system in  $\{C_{Ft}, \mathcal{E}_t, B_{t+1}^*\}$  given policy  $\{P_t, R_{Ht}^*, F_{t+1}^* - B_{t+1}^*\}$

## Sanctions and Policies

- 1 Export sanctions:  $Y_t^* \downarrow$
- 2 Import sanctions: ration  $C_{Ft}$  or increase  $P_t^*$
- 3 Exit of foreign MNC/withdrawal of intermediates:  $Y_t \downarrow$
- 4 Foreign asset freeze:  $F_0^* \downarrow$
- 5 Exclusion from international financial market:

$$F_{t+1}^* - F_t^* = NX_t^*, \quad F_{t+1}^* \geq 0, \quad B_{t+1}^* \leq F_{t+1}^*.$$

- 6 Household precautionary demand for foreign currency:  $\psi_t \uparrow$

- 
- 1 transfers  $W_t$
  - 2 monetary policy  $P_t$  (via choice of  $R_t$ )
  - 3 FX reserves  $F_{t+1}^* - B_{t+1}^*$
  - 4 financial repression  $R_{Ht}^* < R_t^*$

# TRADE SANCTIONS

## Stationary Equilibrium

- Assume  $\beta R_t^* = 1$ ,  $\psi_t = 0$ ,  $\theta = 1$  and  $\delta$  imports are rationed
- Steady state equilibrium system: import demand and country budget constraint

$$C_F = \frac{\gamma}{1 - \gamma} \frac{PY}{\varepsilon \hat{P}^*}, \quad \hat{P}^* = \frac{\gamma}{\gamma - \delta} P^*$$

▶ show

$$P^* C_F = Y^* + (1 - \beta) F^*$$

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$$W \leq (1 - \beta)(F^* - B^*) + \mathcal{E}Y^* + PY$$

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$$P \geq \left[ 1 + \frac{\gamma-\delta}{1-\gamma} \frac{Y^*}{Y^* + (1-\beta)F^*} \right]^{-1} \cdot \frac{W - (1-\beta)(F^* - B^*)}{Y}$$



# Results I

## Comparative statics

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    - currency market: excess supply of FX when imports are curbed
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- sanctions generally tighten the gov't fiscal constraint and may trigger inflation  $P \uparrow$  and monetary devaluation  $\mathcal{E} \uparrow$

# GENERAL EQUIVALENCE

## Import Sanctions=Export Sanctions

- General Lerner (1936) symmetry result (FGI 2004)
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① same allocation and welfare, including reduced imports  $\{C_{Ft}\} \downarrow$

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$$\frac{F_{t+1}^*/P_t^*}{R_t^*} - F_t^*/P_t^* = \frac{Y_t^*}{P_t^*} - C_{Ft}$$

- ② opposite changes in the exchange rate

$$\mathcal{E}_t = \frac{P_t}{P_t^*} \left( \frac{\gamma}{1-\gamma} \frac{Y_t}{C_{Ft}} \right)^{\frac{1}{\theta}}$$

- export sanctions  $Y_t^* \downarrow \Rightarrow C_{Ft} \downarrow \Rightarrow$  depreciation  $\mathcal{E}_t \uparrow$
- import sanctions  $P_t^* \uparrow \Rightarrow C_{Ft} \downarrow \Rightarrow$  appreciation  $\mathcal{E}_t \downarrow$

## Government Revenues I

- **Corollary:** The import and export sanctions of  $x\%$  have **identical** effects on gov't revenues and cost of living:

$$d \log TR = -\frac{XR}{TR} \cdot \frac{\theta - 1}{\theta} \cdot x\%, \quad d \log CPI = \frac{\text{Import}}{GDP} \cdot \frac{1}{\theta} \cdot x\%,$$

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- Lerner symmetry for revenues (BFGI 2019):

### ① export sanctions

$$Y_t^* \downarrow \Rightarrow \mathcal{E}_t^* \uparrow \Rightarrow d \log(\mathcal{E}_t Y_t^*) = \left(1 - \frac{1}{\theta}\right) d \log Y_t^*$$

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# FINANCIAL SHOCK

## Currency Market

- Two competing foreign currency uses:
  - imports  $P_t^* C_{Ft}$  and savings  $B_{t+1}^*$
- Two source of foreign currency:
  - exports  $Y_t^*$  and foreign reserves  $F_t^*$
- Exchange rate balances the two
  - depreciates when currency is scarce
  - appreciates when currency is abundant
- Conventional models vs segmented markets (or “convenience yield”)

## Exchange Rate Policy

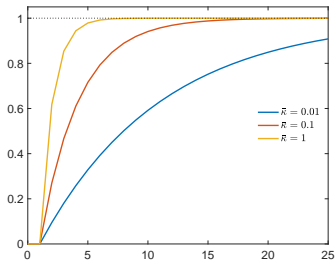
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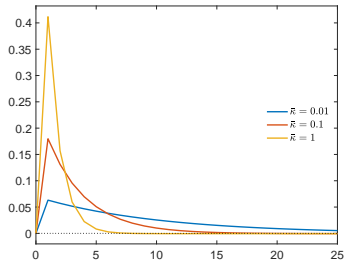
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(a) Net foreign assets,  $\frac{B_t^*}{P_t^* Y^*}$



(b) Exchange rate,  $\log \mathcal{E}_t$



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  - ③ **Financial repression:** a tax on FX purchases  $R_{Ht}^* < R_t^*$ , which leaves the path  $\{B_{t+1}^*, F_{t+1}^*, C_{Ft}, \mathcal{E}_t\}$  unchanged

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- (weakly) relaxes the gov't budget constraint
- applies under financial autarky as well
- *implicit* repression: risk of expropriation, limits on withdrawals
- *explicit* repression: tax on purchasing FC ▶ show

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## Heterogeneous Agents

- **Representative agent:** Financial repression reduces welfare
- **Representative agent:** consider extension with 2 types
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  - ② **Ricardian agents:** income  $(1 - \alpha)P_t Y_t + \mathcal{E}_t Y_t^*$ , can hold foreign currency and subject to  $\psi_t$  shocks
- **Corollary:** Assume  $\theta = 1$ . Then
  - ① aggregate dynamics does not depend on  $\alpha$  (Werning'15, ARSS'21)
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  - ③ financial repression redistributes from RA to HtM (FS'21)

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- Other motive: **anchoring inflation expectations**

## Government Revenues II

- Can ER depreciation rebalance gov't budget without inflation?
- FX interventions  $F_t^* - B_t^* \uparrow$ :

$$B_t^* \downarrow \Rightarrow \mathcal{E}_t \uparrow \Rightarrow C_{Ft} \downarrow \Rightarrow F_t^* \uparrow$$

- Gov't budget:

$$\underbrace{\left( \frac{F_{t+1}^*}{R_t^*} - F_t^* \right)}_{\uparrow} - \underbrace{\left( \frac{B_{t+1}^*}{R_{Ht}^*} - B_t^* \right)}_{\downarrow} = Y_t^* - \underbrace{\frac{W_t/P_t - Y_t}{\mathcal{E}_t/P_t}}_{\downarrow}$$

- Policy changes in Russia:
  - FX sold by exporters  $\downarrow$  from 80% to 50%
  - allowed monthly transfers abroad  $\uparrow$  from \$5k to \$150k

# CONCLUSION

## Conclusion

- Why did the ruble depreciate initially?
  - overnight freeze of gov't reserves + threat of blocking exports
  - high home demand for foreign currency as a store of value
- Why did the exchange rate reverse in mid-March?
  - tougher sanctions on imports than exports  $\Rightarrow$  **supply of FX**  $\uparrow$
  - capital controls + financial repression  $\Rightarrow$  **demand for FX**  $\downarrow$
- Are sanctions “not working”?
  - effectiveness cannot be inferred from ER dynamics alone
  - **equivalence** of M & X sanctions for welfare & gov't revenues
- Is the exchange rate irrelevant?
  - affects **imports** and **gov't revenues**
  - financial repression benefits consumers at the expense of savers

# APPENDIX

## Model of Rationing

◀ Back to slides

- Continuum varieties of imported goods  $[0, \gamma]$
- Varieties  $[0, \delta]$  are banned under import sanctions ( $\delta < \gamma$ )



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$$c_{it}^* = \frac{1}{1 - \gamma} \frac{P_t C_{Ht}}{\mathcal{E}_t p_{it}^*}$$

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- Without rationing:

$$P_t^* C_{Ft} = \int_0^\gamma p_{it}^* c_{it}^* di = \frac{\gamma}{1 - \gamma} \frac{P_t C_{Ht}}{\mathcal{E}_t} \quad \text{and} \quad C_{Ft} = \gamma c_{it}^*$$

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- Finite shadow price  $\hat{P}_t^*$  (ideal price is  $\infty$ ):

$$C_{Ft} = \frac{\gamma - \delta}{1 - \gamma} \frac{P_t C_{Ht}}{\mathcal{E}_t P_t^*} = \frac{\gamma}{1 - \gamma} \frac{P_t C_{Ht}}{\mathcal{E}_t \hat{P}_t^*}, \quad \hat{P}_t^* = \frac{\gamma}{\gamma - \delta} P_t^*$$

## Model of Rationing

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$$u_t = (1-\gamma)^{1/\theta} C_H^{\frac{\theta-1}{\theta}} + \gamma^{1/\theta} \int_0^1 c_{it}^{*\frac{\theta-1}{\theta}} di, \quad C_{Ft} = \left[ \int_0^1 c_{it}^{*\frac{\theta-1}{\theta}} di \right]^{\frac{\theta}{\theta-1}}$$

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- Ration fraction  $\hat{\delta} = \delta/\gamma \in [0, 1)$  of import varieties:

$$P_t^* = \left[ \int_{\hat{\delta}}^1 p_{it}^{*1-\theta} di \right]^{1/(1-\theta)} = (1 - \hat{\delta})^{\frac{1}{1-\theta}} p_{it}^* = \left( \frac{\gamma}{\gamma - \delta} \right)^{\frac{1}{\theta-1}} p_{it}^*$$

— import expenditure  $P_t^* C_{Ft}$  and demand  $\frac{C_{Ft}}{C_{Ht}} = \frac{\gamma}{1-\gamma} \left( \frac{\varepsilon_t P_t^*}{P_t} \right)^{-\theta}$

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- Equivalent to a tax  $\tau > 0$  on every import variety:

$$1 + \tau = (1 - \hat{\delta})^{\frac{1}{1-\theta}} = \left( \frac{\gamma}{\gamma - \delta} \right)^{\frac{1}{\theta-1}}$$

## Multiple Foreign Currencies

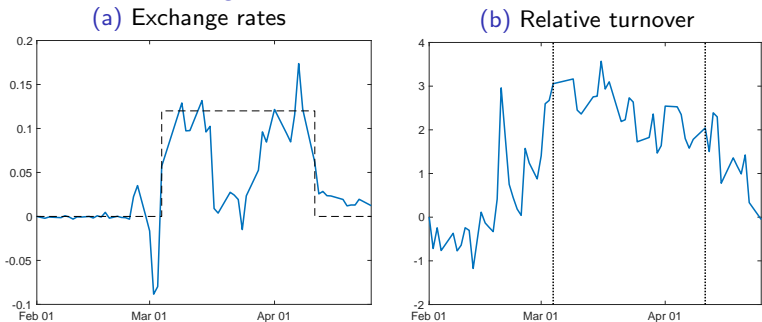
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Figure: Swiss franc vs U.S. dollar



Note: (a) exchange rate at the Moscow Exchange relative to its international value,  
(b) Swiss franc turnover relative to the dollar at the Moscow Exchange.